# ON AN IMPROVED WAY OF RESOLVING TWO VERY STABLE AND ACCURATE FREQUENCY SIGNALS AND THE BENEFITS CONFERRED AS A RESULT

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Abstract - With the advance in accuracy and stability of modern atomic clocks, the need for a very precise method of detecting instabilities in their signals has arisen. Two hydrogen masers have a drift rate of phase due to the frequency difference of ~1fs per second or 3.6ps per hour. Quartzlock have developed a state of the art frequency and time interval measurement system. The A7 combines the most advanced phase comparators and PC time interval counting techniques. Stable 32 Stability analysis software is included as standard, as is a 4 way distribution amplifier and a rubidium oscillator. Initial results with a hydrogen maser reference in a temperature controlled room gave an Allen Variance Noise Floor of 5E-14, 8E-15, 1.5E-15 and 3.5E-16 for 1s, 10s, 100s and 1000s averaging times (t). Drift is as low as 5ps/hr, with a temperature sensitivity of 10ps/°C. A single shot rms. resolution of 0.3ps was also measured. The primary benefits of the A7 are improved accuracy, increased signal knowledge and reduced measurement time. The applications for such a high resolution instrument are numerous, ranging from national standards and calibration laboratories, through Cesium, Rubidium and Quartz production to time transfer measurements.

1. INTRODUCTION

In 1952, the first digital electronic counter was introduced. As a result it became possible for frequency measurement of up to and including 10 MHz to be made, or a 100ns resolution of time between two events.

It is almost 50 years since this instrument was first introduced, and electronic counters have advanced rapidly since then. Several different techniques have been developed to increase the accuracy and resolution of electronics counters.

With the huge advance in accuracy and stability of modern atomic clocks, the need for a very precise method of detecting instabilities in their signals has arisen. For example, with two hydrogen masers with a 1 in 10<sup>15</sup> frequency difference, the drift rate of phase due to the frequency difference will be 1fs per second or 3.6ps per hour. No ordinary universal counter would be capable of resolving the difference between the two signals. It is vital therefore that the modern metrologist has knowledge and control of the measurement system drift rates if very

small, but important, frequency differences are to be measured

Quartzlock have developed innovative instrument, based around the KVARZfrequency difference multiplier that is capable of resolving 1.5 parts in 10<sup>15</sup> with 10<sup>14</sup> accuracy. The A7 frequency and phase comparator is a 2U rack or bench mount unit with inputs and controls on the front panel. The A7 is interfaced to a computer via a GT200 time interval counter card capable of 100ps resolution without averaging. To complement the device, software has been written to enable the user to perform powerful statistical analysis on the data obtained. The company believes the A7 meets the needs of even the most demanding application. [1]

The following paper will attempt to describe the layout of the A7, detail in some depth the heart of the unit - the frequency difference multiplier-, provide some background into relevant definitions needed to understand the device, explain the different statistical techniques possible with the accompanying and thereby analyze performance of the A7 itself. It is hoped that the reader will gain an understanding of the advances made with this device. To finish, a discussion of possible applications for the A7 and methods for improving it will be put forward

#### 2. DEFINITIONS

**2.1 Frequency**: The input signal frequency is measured by the GT200 universal counter using the most accurate technique available, reciprocal counting coupled to time interpolation. Frequency is measured over some span of time.

- **2.2 Gate Time**: This allows the user to control several parameters of measurements. The longer the gate time, the greater the number of significant figures in the result and the greater the potential accuracy. The gate time defines the averaging time of the measurement. A long gate tme will provide average frequency, but will also hide any short-term variation, whereas short gate-times characterization of the short-term frequency variations. The gate time for the GT200 may be set to any desired value between 1 ms and 3200s. In phase/time difference mode the minimum gate time is 1s, a point worth remembering if extremely long run times are to be avoided. [2] [3]
- **2.3 Frequency accuracy:** How well the interval between the 1pps output of a clock conforms to the SI second as defined by the Cesium atom
- **2.4 Frequency Stability:** How stable the frequency is as a function of averaging or integration time,  $\tau$ , . It is a measure of how the frequency changes as averaged over one interval  $\tau$  to the next interval  $\tau$ . International recommendations have made the Allen variance the accepted measure of this.
- 2.5 Reciprocal counting: a method of counting which always makes a period measurement on the input signal. By taking the reciprocal of the period measurement, the frequency of the input signal may be displayed. The two major advantages of the reciprocal counting method are i) The +/- 1 count quantisation error is independent of the input signal frequency. The resolution of the reciprocal counter is independent of the input signal frequency, if we had a noiseless signal and assuming negligible trigger and

time base error ii) The period counting characteristic of the reciprocal technique provides the capability for control of the main gate in real time.

- 2.6 Time Interval: The elapsed time between an event on the 'start' input and an event on the 'stop' input. All timing functions are measured by the time interpolation technique, resulting in a single shot resolution of 100 ps: this is equivalent to a counter with a 10 GHz clock rate.
- **2.7 Event**: This can either be user defined as either a positive or negative transition through the use of the slope controls
- **2.8 High-speed data acquisition**: All frequencies above 1 MHz are automatically (unless switched off) prescaled before being measured. The reciprocal counting technique ensures that prescaling does not compromise accuracy or resolution. However, to ensure that unnecessary delay doesn't occur due to prescaling, you should turn it off for the 5 MHz and 10 MHz input signals. **[2]**

# 3. DESCRIPTION OF THE A7

# 3.1 General Block Diagram

A full appreciation of the A7 necessitates an understanding of what happens inside. A brief introduction to the device will be given, with further descriptions of the frequency difference multiplier, rubidium oscillator, distribution amplifier and GT200 time interval counter card.

The frequency difference multiplier from IEM KVARZ is the heart of the device. It takes two input signals at either 5 or 10 MHz, multiplies their fractional frequency difference by 1000 (frequency mode) and 10000 (phase/time difference mode),

outputting a 5 MHz sine wave with this fractional frequency difference multiplied by 1000 superimposed and 1 Hz pulse with fractional frequency difference multiplied by 10000 superimposed.

The rest of the A7 provides a 10 MHz reference signal to the counter, providing a 1 Hz reference pulse and provides automatic level switching and monitoring (enabling 5 or 10 MHz inputs to be applied).

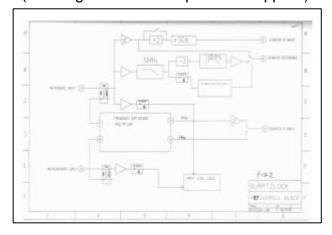


Fig 1: Overall block diagram [3]

The reference chain starts with a 10 dB directional coupler that samples the reference signal applied to the freq. difference multiplier. The counter reference is provided by a doubler if the input is 5 MHz, and a direct amplifier / limiter if the input is 10 MHz. The presence of a 5 MHz output from the low pass filter is detected and used to automatically switch between the doubler and the direct path.

Division obtains the 1 Hz reference by 5E6 or 10E6 depending upon the input frequency. Again the switch over is automatic. The divider used has a reclocked output latch that removes the effect of the divider propagation delay from the reference path. This reduces the effect of temperature changes on the delay. The

divider constant may be changed higher or lower by the phase-adjust push buttons. This enables the phase of the 1 Hz reference to be slewed.

Level monitoring is provided on both inputs by AC detectors and window comparators.

[3]

# 3.2 Frequency difference multiplier

The two measurement inputs are called A and B. An input from the reference source at 5 or 10 MHz is connected to A, and an input from the device under test (DUT) is connected to B. The inputs A and B are actually interchangeable. Typically the 10 MHz reference source is likely to be at least a rubidium oscillator, preferably an active or passive hydrogen maser, or a Cesium beam. This ensures that the signals output to the counter contain errors solely due to the DUT and not the source. If this is not the case then the interpretation of any Allen variance curves becomes increasingly difficult and complex.

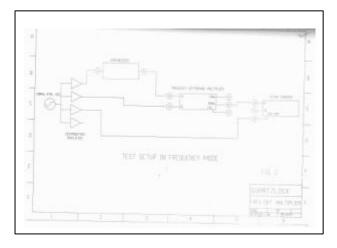


Fig 2: Simplified block diagram of the device.

Both inputs (let us assume they are at 10 MHz) are multiplied using harmonic

multipliers to 100 MHz and then mixed down to a 1 MHz Intermediate Frequency (IF) using an internal LO at 99 MHz. As the LO is common to both channels, any phase jitter or drift will eventually be removed when the channels are compared. The LO is phase locked to one of the inputs by comparing the output of a divide by 99 circuit with the 1 MHz IF.

The 1 MHz signals are then multiplied to 10 MHz. The 10 MHz from channel B is then converted to 9 MHz by mixing with a 1 MHz signal derived from the LO. The 10 MHz from channel A is mixed with the 9 MHz from channel B to give the 1 MHz difference.

The basic 1 MHz difference signal is made available at the front panel (of the frequency difference multiplier, not the A7), and is then processed further as follows:

A crystal filter to remove side bands from all the mixing processes, and reduce the noise bandwidth filters it. The 1 MHz signal is then multiplied by 5 to give 5 MHz. This 5 MHz is available at the front panel (of the frequency difference multiplier, not the A7).

The filtered 1 MHz difference signal is then mixed down to 100 kHz by means of a 900 kHz LO obtained by division from the 99 MHz LO. This 100 kHz signal is then divided by 100000 to give 1 Hz pulses, which are output to the front panel (of the frequency difference multiplier, not the A7). [3]

# 3.3 Distribution Amplifier

The A7 is fitted with a 4-way distribution amplifier as standard. This is a linear distribution amplifier designed for standard frequency distribution between 1 MHz and 100 MHz. It is therefore more than capable

of distributing the 5 or 10 MHz signals applied to the input on the front panel. If the user has a valuable signal from a hydrogen maser, they would apply it to the distribution amplifier input, enabling then to use one output for the reference input, leaving 3 outputs free for use elsewhere within the lab. This eliminates the need for a costly stand alone distribution amplifier.

The circuit is based on a number of balanced linear amplifiers with high reverse isolation and low phase noise. These are the output amplifiers. The input amplifier drives the passive power splitter and is a modified version of the output amplifier with gain control. Typical isolation at adjacent outputs of >110 dB @10 MHz, from output to input of >110 dB @10 MHz and crosstalk (input to input) of >80 dB @10 MHz. Phase noise is -160 dBc @ 1 kHz offset. This ensures that the hydrogen maser signal (or signal of similar quality) retains its original input characteristics. Apart from sharing the same power supply, the distribution amplifier is completely separate from the A7 circuits. The gain of the distribution amplifier is adjustable by the user.

# 3.4 Rubidium Frequency Standard

The A7 has a rubidium oscillator fitted as standard within the device. Due to the need to have a suitable reference signal at all times. the decision was made incorporate one of the companies P line rubidium oscillators into the A7. The advantages conferred thereby are obvious. Due to its small size, low weight, high accuracy and stability and low cost, the Rb provides an ideal reference signal suitable for most applications. The Rb typically has a frequency stability of parts in 10<sup>13</sup> over 100s averaging time. This makes the A7 a complete instrument, capable of providing,

distributing and analysing frequency standards. Whilst the Rb will cover most requirements, the user should be aware that to maximise the resolution and accuracy of the A7, a signal from an active hydrogen maser is required. When used in a temperature controlled environment, the A7 is the capable of the quoted 1.5 E-15 Obviously when measuring resolution. devices like GPS-DOs or other rubidium oscillators, a hydrogen maser reference is crucial if unambiguous results are to be obtained.

#### 3.5 GT200 Time Interval Counter Card

frequency The signals carrying the difference information are output to, and measured by, the GT200 universal counter the most accurate technique available, reciprocal counting coupled to time interpolation [2]. The GT200 is a PC based counter card, which fits into one of the spare ISA slots. It has a configurable address (settable in either HEX or decimal) to avoid conflict with other ISA cards (like SoundBlaster or internal Modems). The GT200 has associated software, which provides the virtual counter front panel. This enables the user to operate the counter like a normal universal counter, with the normal range of functions totalise, and trigger, arming, pacing, calibration etc.). Communication errors between the driver and windows force the user to operate the program under DOS. Data is saved in ASCII format, with the appropriate DOS path and .DAT file extension (to avoid data read in errors in MathCad). [2] [3]

#### 4. MODES OF OPERATION

There are two ways to acquire data using the A7 and depend upon which mode the

frequency difference multiplier is operated in.

# 4.1 Frequency mode

This is most useful for adjustment purposes, as a short gate may be used with sufficient resolution to adjust even high quality atomic frequency standards, like Rubidium. It is also ideal for very short gate times ( $\tau$  less than one second) where the phase time difference mode cannot be used. The necessary software routines are presently under development and will be tested when ready. It is hoped that these will provide the user with a method for very short-term characterization of signals, highlighting details often hidden when using longer gate time- although these improve resolution.

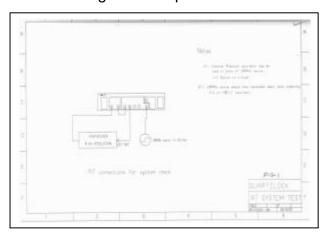


Fig 3: Test set-up in frequency mode [3]

The various outputs from the frequency difference multiplier carry the frequency difference information between the reference and the DUT as an offset from the nominal frequency. As will be shown in the appendix, the fractional frequency difference between the inputs is multiplied by 1000 for the 1 and 5 MHz outputs and by 10000 for the 1 Hz outputs.

If we assume that the inputs to channel A, channel B and LO are  $F_1 + \Delta F_1$ ,  $F_2 + \Delta F_2$  and  $F_3 + \Delta F_3$  respectively then the outputs from the frequency difference multiplier are

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i)1MHz:100(F_1-F_2)+100(\Delta F_1-\Delta F_2)+(F_3/99)+ (\Delta F_3/99)
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ii)5MHz:500( $F_1$ - $F_2$ )+500( $\Delta F_1$ - $\Delta F_2$ )+(5 $F_3$ /99)+(5 $\Delta F_3$ /99)

iii)1 Hz:  $100(F_1-F_2)+100(\Delta F_1 - \Delta F_2) + (11/10890)F_3 + (11/10890) \Delta F_3$ 

If we then make the necessary assumption that the signals to the reference and signals are nominally measurement identical, then the first terms in the 3 above expressions disappear. If we then assume, as we must to avoid unambiguous results, that the error in the signal applied to the reference input nealiaible is compared to that from the DUT (i.e. any frequency instability arises solely from the DUT), then the second terms in the 3 above expressions become functions of  $\Delta F_1$  ( the error in the signal from the DUT). Then we neglect the final terms in each expression. as they contribute negligibly to the final answer). We therefore end up with the following expressions:

i) 1 MHz:  $100\Delta F_1 + (F_3/99)$ 

ii) 5 MHz:  $500\Delta F_1 + (5F_3/99)$ 

iii) 1 Hz:  $100\Delta F_1 + (11/10890)F_3$ 

Let us consider a situation where the LO is at 99 MHz, the measurement and reference inputs are nominally at 10 MHz and the measurement input signal has a frequency offset of 1 Hz ( $\Delta F_1$ ), there exists a fractional frequency difference (defined as ( $F_{meas}$  -  $F_{ref}$ )/ $F_{ref}$ ) of 1 in 10<sup>7</sup>.

If we consider the output from the 5 MHz output we get:

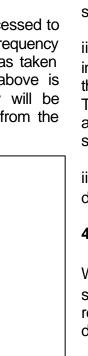
Output from 5 MHz part = 
$$500(\Delta F_1) + (5F_3/99)$$
  
=  $500*1 + (5*99*10^6)/99$  Hz  
=  $5 \text{ MHz} + 500 \text{ Hz}$   
=  $5.000500 \text{ MHz}$ 

The error in the 5 MHz output is therefore 1 part in 10<sup>4</sup>, whereby a fractional frequency difference multiplication of 10<sup>3</sup> has taken place.

Whilst the above example illustrates the multiplication clearly, the actual allowable frequency difference measurement range is much less due to the presence of a narrow bandwidth filter (to filter out the side bands created by the mixers and harmonic multipliers).

Indeed the maximum fractional frequency difference between the inputs is 1 part in 10<sup>8</sup>.

Similar analysis on the signal processed to the 1 Hz output shows a fractional frequency difference multiplication of 10<sup>4</sup> has taken place. If a similar situation as above is considered the output frequency will be 1.001 Hz (a fractional difference from the nominal 1 Hz of 10<sup>3</sup>).



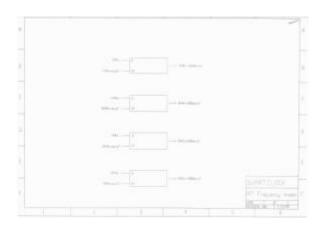


Fig 4: The frequency modes for different input signals.

Included in the software written for A7-GT200 data acquisition systems are 5 set-up files for viewing desired quantities being input from the A7 to the GT200. There are 3 set-up for viewing whilst in frequency mode. They may be accessed via the counter virtual front panel.

- i) FREQ1: Sets the counter to directly display the 5 MHz frequency output of the A7, with the frequency difference information (\*500 for the 10 MHz inputs) superimposed, without normalization.
- ii) FREQ2: Shows the frequency difference in Hz corrected to the input of the A7 (i.e. the frequency offset between the inputs). The normalization and offset factor must be altered in this set up file for 5 MHz input signals.
- iii) FREQ3: Shows the fractional frequency difference between the inputs of the A7.

# 4.2 Phase/time difference mode

When stability of signals with  $\tau$  from 1 second to 10000 seconds (or longer) is required, operation of the frequency difference multiplier in phase/time

difference mode is recommended. As detailed below, software is supplied allowing simple but powerful analysis using all the common statistical measures for characterization of frequency and time signals. One benefit of this method is that the frequency difference information can always be obtained by differentiating time difference over a required  $\tau$  (averaging time).

A divider on the auxiliary board provides a suitable frequency reference at 1 Hz. This is at an identical nominal frequency to the frequency output at the 1 Hz output of the frequency difference multiplier. This second frequency is the one carrying the frequency difference information. The GT200 card then measures the time interval between a rising edge of the frequency difference signals and that of the reference. The rate of change of time interval divided by the previously mentioned fractional frequency difference multiplication factor for the 1 Hz output (10000) will give the fractional frequency difference between the inputs. If the rate of change of time interval is 100ms/s (1 part in 10<sup>4</sup>), when divided by 10000, gives a fractional frequency difference between the DUT and the reference of 1 part in 10<sup>8</sup>. The maximum allowable frequency difference between the sources, if the results from the comparator are to be 100% reliable, is 1 part in 10°. For a 10 MHz signal, this is an offset in the DUT of 0.01 Hz. Whilst this may seem restrictive. it is important to remember that if devices are being tested with greater offsets than this, a normal universal counter would be sufficient. The A7 is designed for high-end measurement, where the likely offsets will very often be much smaller than this (a hydrogen maser has a typical offset of parts in 10<sup>13</sup>).

As for the frequency mode, the phase/time difference mode also has set-up files, for displaying important signal information.

i) PHASE1: Shows the time difference in seconds between adjacent edges of a 1 Hz square wave derived by direct division (on the auxiliary board) of the reference input to the A7 and a 1 Hz pulse derived by signal from processing the measurement input to the A7 through the difference frequency multiplier. fractional frequency difference between the inputs will have been multiplied by 10000. It is important to understand that only changes difference (corresponding to in time frequency difference) are of interest. A change of reading on the counter of 1 ms every second corresponds to a rate of change of phase at the A7 inputs of 100ps  $(1.10^{-6}/10000 = 10^{-10})$ . A change of 100ps every second is equivalent to a frequency difference at the inputs of 10<sup>-10</sup>.

ii) PHASE2; Shows the time difference in seconds at the input of the A7. A phase change of 100µs at the input of the A7 will equate to a full 1-second phase change at the output. [3] [4]

### 5. SOFTWARE

Development of the A7 frequency and phase comparator, necessitated accompanying software so that data gained from the A7 during a phase/time interval run could be analyzed.

The decision was made to write several routines in MathCad. One of the advantages of this method was that the user had full control over the routines he was using. Therefore should he require additional features they were easy to add

into the existing worksheet. In addition due to the capability of MathCad, unlimited data entry is possible. This allowed long data runs, which enable characterization of signals out to longer averaging times.

The best method of characterizing a frequency standard against a master standard like a rubidium oscillator or a hydrogen maser is the statistical analysis of phase/time difference data file. It is important to understand that frequency is the rate of change of phase, and that fractional frequency difference has an exact correspondence with the slope of a time difference plot. For example, if during a run of 100 seconds the mean slope of the time difference data was 100ps in 100 seconds. then the fractional frequency difference would be 10<sup>-10</sup> averaged over 100 seconds. [3]

The routines written for the A7 include both first and second difference variances

- 5.1 First difference variances take into account frequency offsets between the sources. This is useful for checking the calibration of a source before it is sent out to a customer. There are two such first difference variances.
- i) Fractional Frequency Offset at an averaging time \tau will give the same result as the average of a large number of frequency counter readings will a gate time of  $\tau$ .
- ii) Mean Fractional Frequency Offset is similar but will calculate a mean slope over τ using intermediate data point
- **5.2 Second difference variances** are concerned with frequency stability and will ignore a fixed frequency offset. There are

many of these but we have confined ourselves to the 3 most commonly used.

i) Allen Variance, abbreviated  $\sigma^2_{\nu}(\tau)$  or AVAR is the most commonly used measure of frequency stability.  $\mathbf{s}^{2}_{y}(\mathbf{t}) = \frac{1}{2}\mathbf{t}^{2} < (\mathbf{D}^{2}\mathbf{x})^{2} > \mathbf{t}^{2}$ 

This was originally developed in 1966 by D.W.Allan because of the realization that frequency standards do not generate a constant frequency output contaminated only by white noise and the output of such a frequency standard cannot be averaged to get rid of the noise [6] Therefore the usual statistical measures like standard deviation and mean cannot be used to characterize frequency standards. AVAR is excellent at characterizing the intermediate to long-term stability of clocks and oscillators. This will be the variance most often used when using the A7.

ii) Modified Allen Variance, abbreviated  $MOD\sigma^2_{\nu}(\tau)$  or MVAR, is similar to Allen Variance, except that it calculates mean slopes using intermediate data points in a similar way to mean fractional frequency

 $s^2(t) = \frac{1}{2}t^2 < (\mathbf{D}^2\chi^{\downarrow})^2 > (2)$ 

One of the advantages conferred thereby, is that MVAR can distinguish between white noise PM and flicker noise PM, whereas AVAR cannot

Both of the above are very suited to the characterization of frequency standards, especially looking at the frequency stabilities of such standards.

iii) **Time Variance**, abbreviated  $\sigma_x^2(\tau)$  or TVAR is for use when the measurement of

time is the issue, rather than that of frequency

$$s^2_x(t) = 1/6 < (D^2 x^{\downarrow})^2 > (3)$$

In many ways TVAR is similar to MVAR, and has many of the improvements over AVAR. TVAR is directly related the MVAR and is used for the characterization of clocks. TVAR is the recommended method of characterization of frequency standards intended for use within the telecommunications industry. [6]

In the MathCad software it is possible to view all three second difference variances on the same graph for comparison. The version of MathCad utilized is MathCad 6, the reason being that data files are easier to read in than in MathCad 8, due to the file association function. This feature has been deleted from MathCad 8, making the connection between the routines and the data tedious and time consuming. The operating instructions for each routine are contained as text within each document.

At the present time the company has developed 2 routines, **TVAR6** which calculates second difference variances, and **MVAR** which calculates first difference variances. Each routine has been extensively debugged and updated. It is believed they offer an exceptionally accurate but simple method of performing statistical analysis on a signal from a frequency standard. **[4]** 

#### 6. RESULTS

To verify the performance of the A7, both the A7 noise floor and long-term drift must be established. Driving the measurement and reference inputs from the two outputs of an

inductive power splitter that ensures identical inputs and elimination of source or distribution amplifier noise. In additional care must be taken to use type N connectors with short cables. The 10 MHz source must not exceed the maximum absolute specification of 1 in 10<sup>8</sup> in frequency mode and 1 in 10<sup>9</sup> in phase/time difference mode. Failure to provide a good quality source with good short-term stability and low phase noise may degrade the apparent noise floor of the A7 in the short term.

Noise floor measurements are possible in both frequency and phase/time dfference modes. It is far easier to measure the noise floor in phase/time difference mode, since in frequency mode a separate run must be made for each value of  $\tau$  required. However. simplified noise floor measurements in frequency mode reveal a peak to peak jitter of +/- 2E-12 and 2E-13 for 100ms and 1s gate times respectively. This is useful for calibrating a frequency standard against a master standard frequency and may be done with additional statistical analysis.

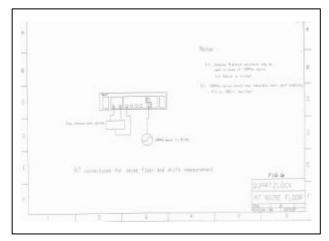


Fig 5: Connections for noise floor and drift measurement

In contrast, in phase/time difference mode a block of data is accumulated and then analyzed in MathCad. In this mode, the shortest time between readings is set to 1s, whilst the longest is determined by using the pacing function on the GT200 virtual front panel and may be as long as 3200 seconds. One advantage of this is the ability to perform extremely long runs without making the data files too large. Because Allen variance is a statistical measure, the maximum permitted  $\tau$  is the total-run-length/10. Therefore a run time of 10000 seconds without pacing allows Allen variances from 1s to 1000s to be calculated. If the pacing is set to 10s, a run of 10000 seconds will generate only 1000 data points (and hence a data file a tenth the size). It will also raise the minimum  $\tau$  to 10s because Allen Variance cannot be calculated for \( \tau \) less than the time interval between readings. To fully explore the noise floor of the A7 two zero drift runs were made in phase/time difference mode, one with a sampling rate of 1 Hz (time between readings 1s) and length 10000 seconds. This allows Allen Variances to be calculated for  $\tau$  between 1s and 1000s. The second run should have a sampling rate of 0.1 Hz (prescaling have set the time between readings to 10s) and length 100000s. This will enable Allen variances to be calculated for  $\tau$  between 10s and 10000s. To allow the unit to stabilize, it was allowed 12 hours to warm up before the measurement runs were started. [7]

The specifications state a short term stability of 1.5E-13/gate time, resulting in 1.5E-13, 1.5E-14 and 1.5E-15 for 1s, 10s and 100s gate times ( $\tau$ ). Initial results suggest even better performance than this with Allen variances of 5E-14, 8E-15, 1.5E-

15 and 3.5E-16 for 1s, 10s, 100s and 1000s gate times ( $\tau$ ). **[1]** 

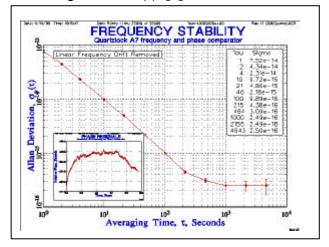


Fig 6: Allan variance noise floor for A7

Assuming a constant ambient temperature, the A7 has been observed to drift only 2ps/hr, with the contribution of a 1°C temperature change being less than an additional 10ps. A single shot rms. Resolution of 0.3ps was also measured, a remarkable result enabling the A7 to easily resolve the 3.6ps/hr drift rate between two hydrogen masers. [8]

#### 7.BENEFITS AND APPLICATIONS

The primary benefits of the A7 frequency and phase comparator are improved accuracy and reduced measurement time. Fast measurements with high accuracy permit greater knowledge of the stability of the signal.

The applications for an instrument capable of such resolution are anticipated to be numerous, ranging from national standards and calibration laboratories, through Cesium, Rubidium and Quartz production to time transfer measurements.

#### 8. THE FUTURE

The IEM-Kvarz phase comparator is the best performing unit of its type ever made. Quartzlock have successfully integrated this CIS product into the global market, despite initial resistance from Defense and Telecoms users. A 2<sup>nd</sup> generation unit is being developed under a European Commission 'Craft' award. It is designed to have even lower noise floor, higher resolution and smaller size, with a wider range of input frequencies. [4]

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